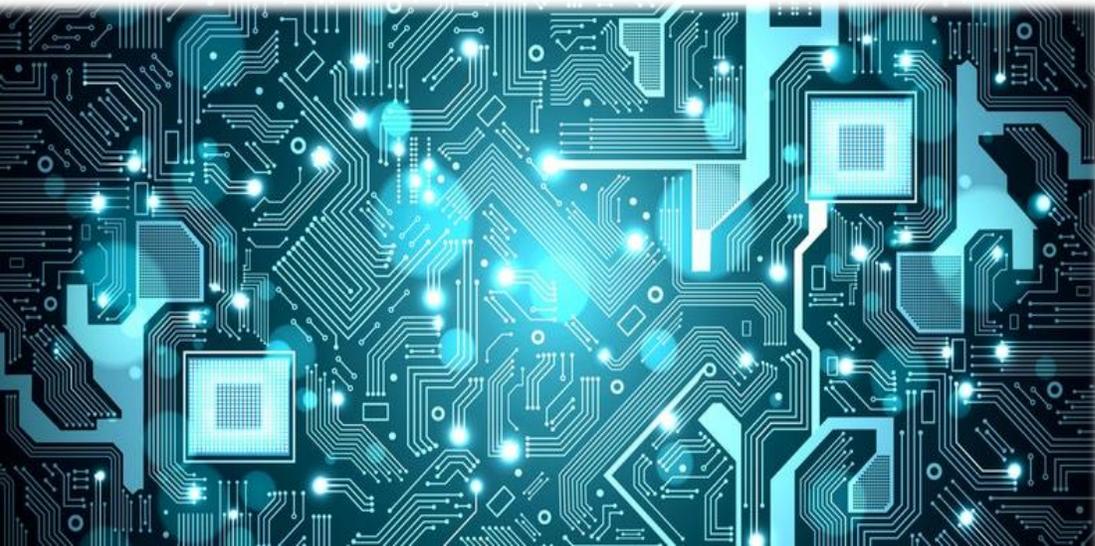




ACCURATE REDUCED MOTOR MODELS FOR POWERTRAIN SYSTEMS OPTIMIZATION

2024/06/06

FABIEN VIDAL-NAQUET



SUMMARY

- Introduction
 - IFP Energies Nouvelles : Electric System Department
- Motivation
 - Why work on model reduction?
 - Motor currents modeling issue
- Method & Results
 - Fast motor currents computation
 - Fast motor losses computation
- Conclusion

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A public sector
R&I body

A **training**
center

An industrial
group

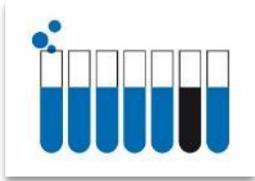
An international scope in the fields of energy, transport
and the environment



1,530
people



1,078 engineers and
technicians dedicated
to research



10,205 active patents

175 basic patents
filed in 2020



Over **50** job fields,
from geologists
to engine technicians



13th ranking
patent filer in France
(Inpi 2020)

3rd ranking public research
centre



More than **200**
articles per year published
in international scientific
journals



135
doctoral students and
post-doctoral researchers

Mobility activities represent :

62 on going contracts with 34 companies

26 collaborative projects involving 149 companies

More than 293 people involved in projects

More than 35 PhD students

25 patents deposited in the year and a portfolio of 308 patents

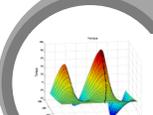
More than 30 scientific WOS papers (excluding conference papers)



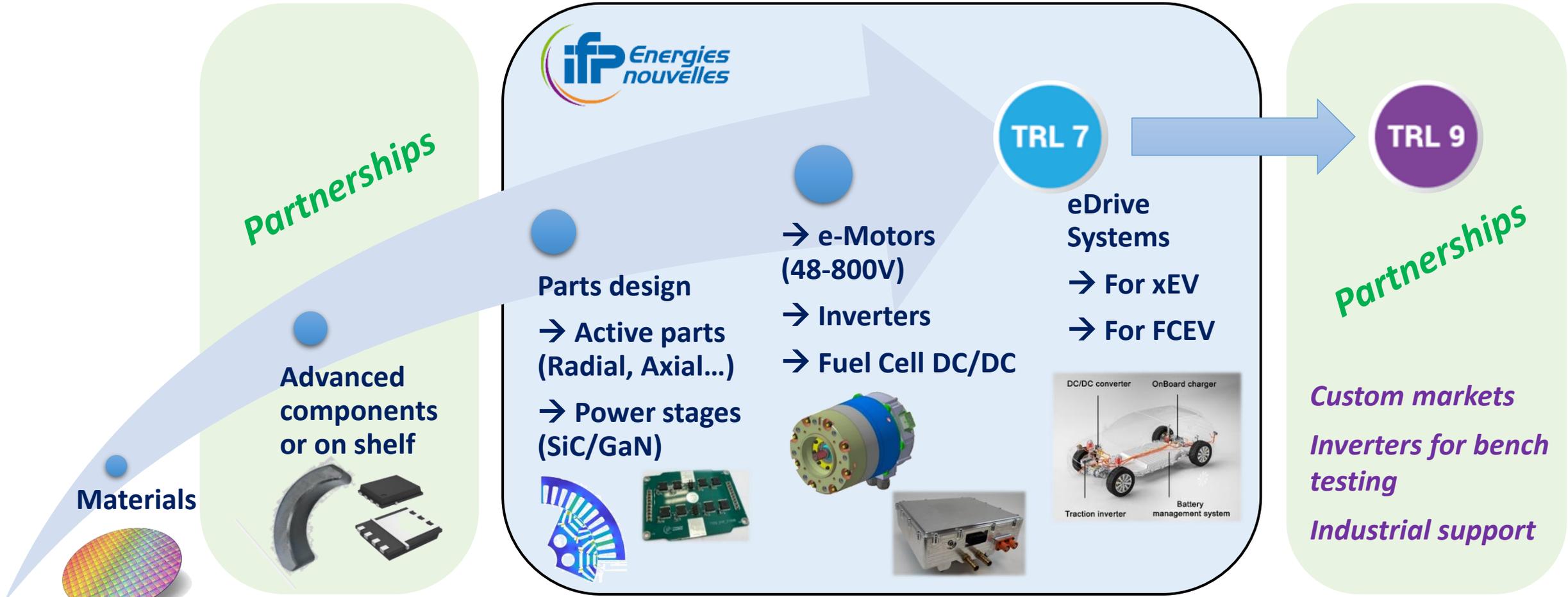


 Specify and propose innovative electric systems

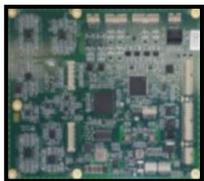
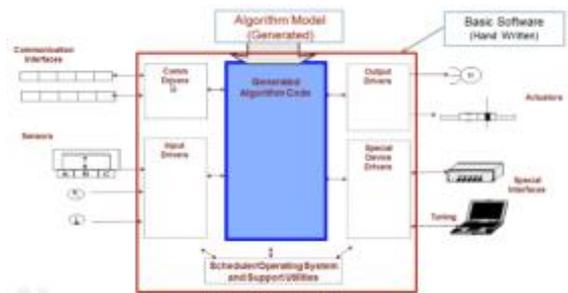
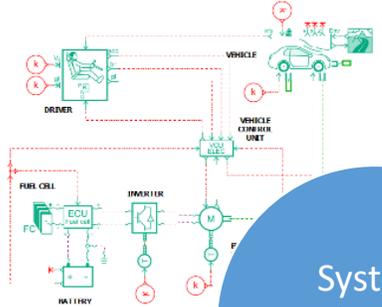
 Design, simulate and prototype the electric and power electronics components

 Control and optimize the electric systems on their whole operating area

 Evaluate and validate the electric systems on dedicated experimental facilities



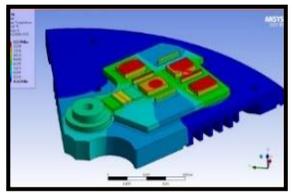
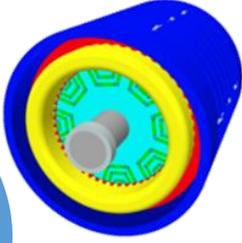
Towards automotive traction and fuel cell applications



Experimental validation

System analysis and simulation

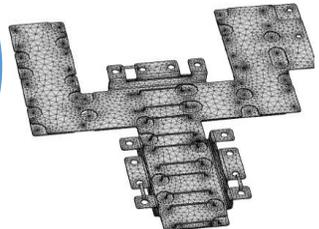
Motors design and simulation (EM, thermal)



Control design and prototyping

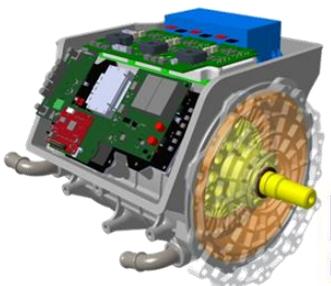
ELECTRIC SYSTEMS

Electronics design and simulation (EM, thermal)



Electric motor and electronics prototyping

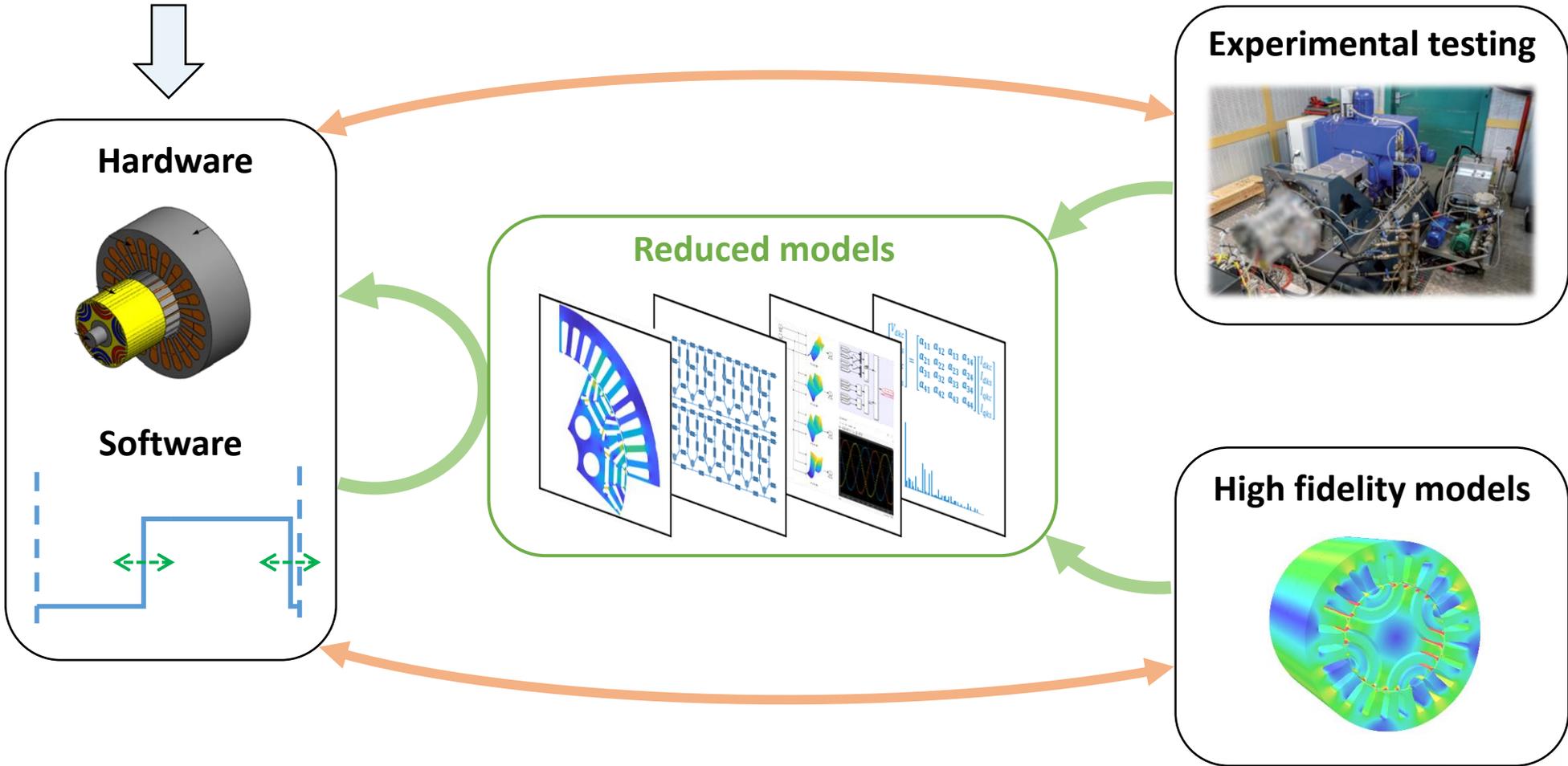
Mechanical design



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MOTIVATION

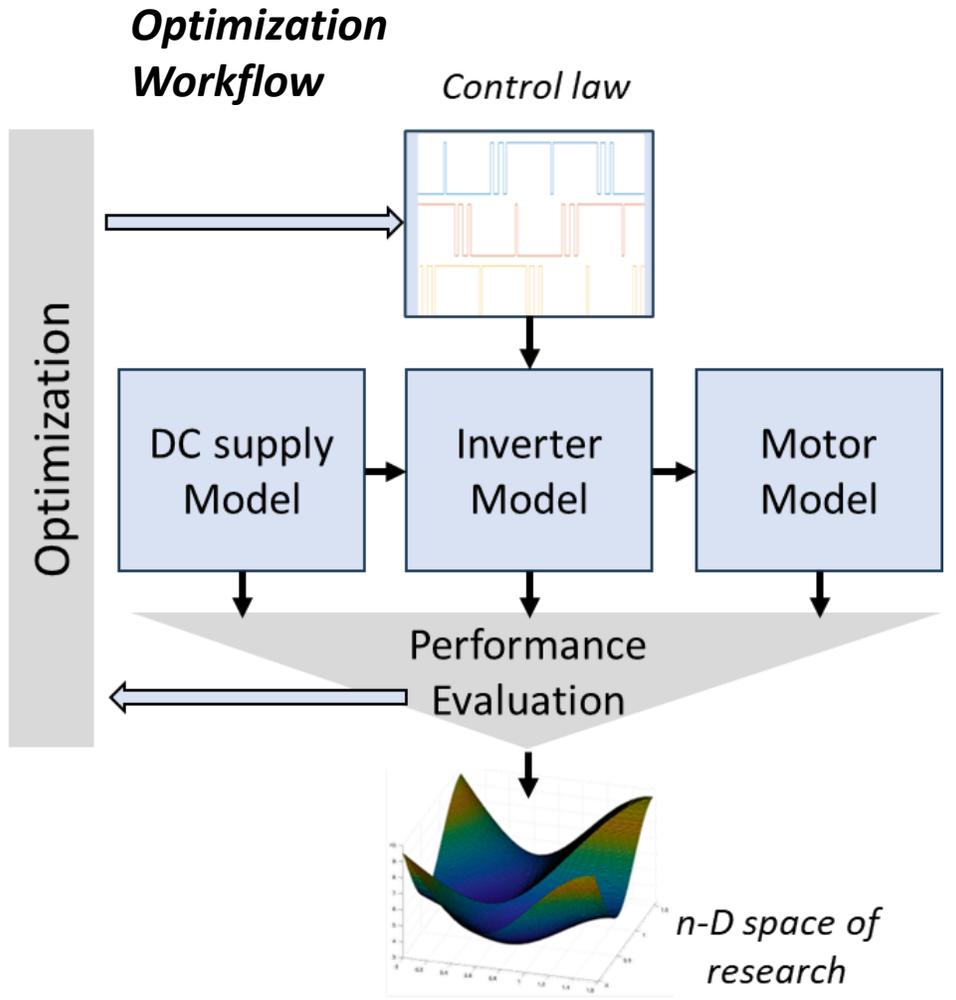
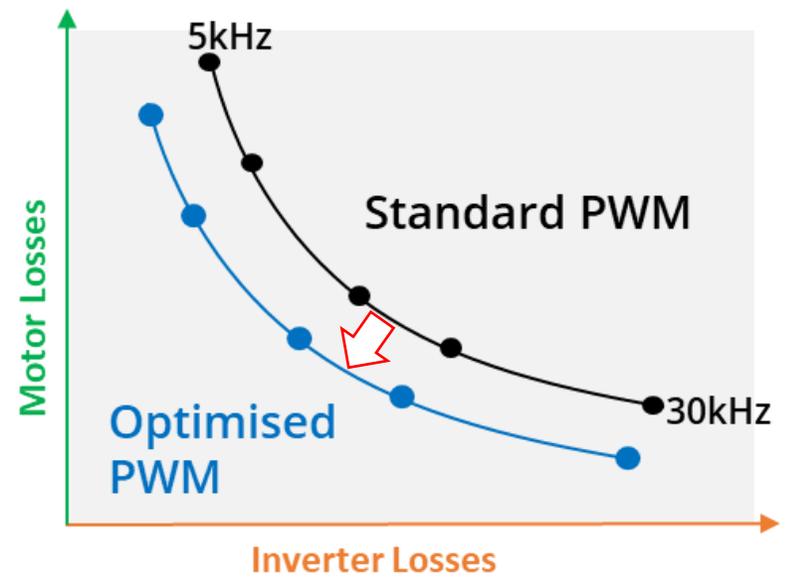
Powertrain optimization:
Efficiency, noise, ecological impact, compactness, durability...



MOTIVATION

Replace control laws bench evaluation with simulation
(as much as possible...)

- Performance criteria : efficiency and constraints (DC ripple, NVH, Torque ripple, CPU load, etc.)
- Usually evaluated on the bench due to system complexity → But degrees of freedom are too many

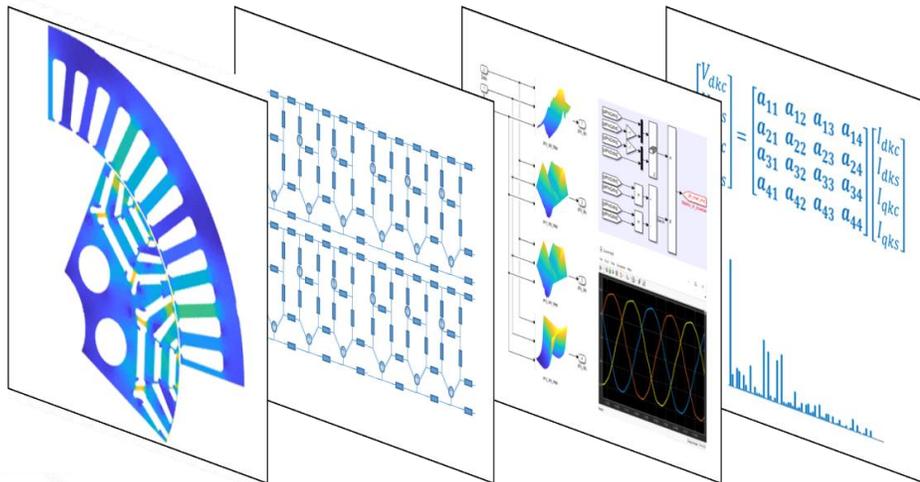


MOTIVATION

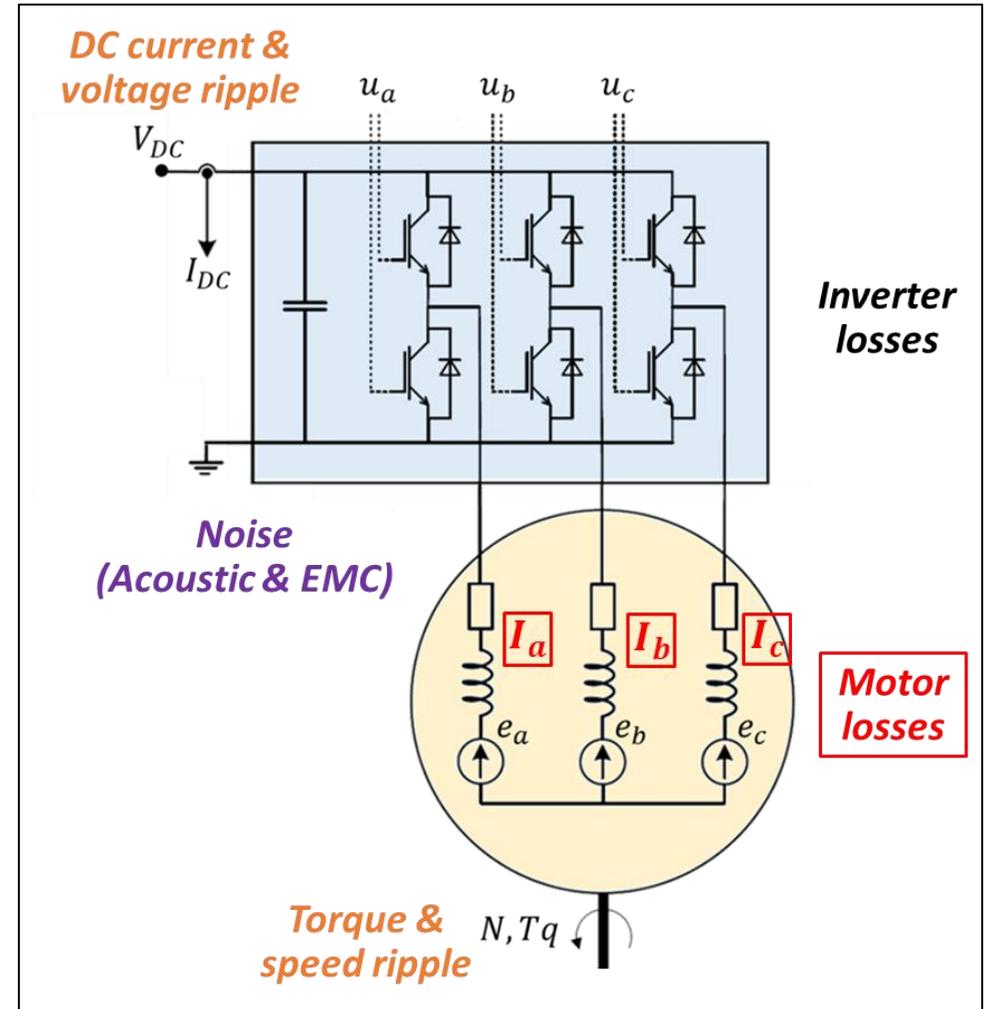
Objective: best possible time/accuracy trade-off for



- 1) Computation of accurate motor **currents** depending on PWM control
- 2) Computation of accurate motor **losses** depending on current shapes



CALCULATION TIME

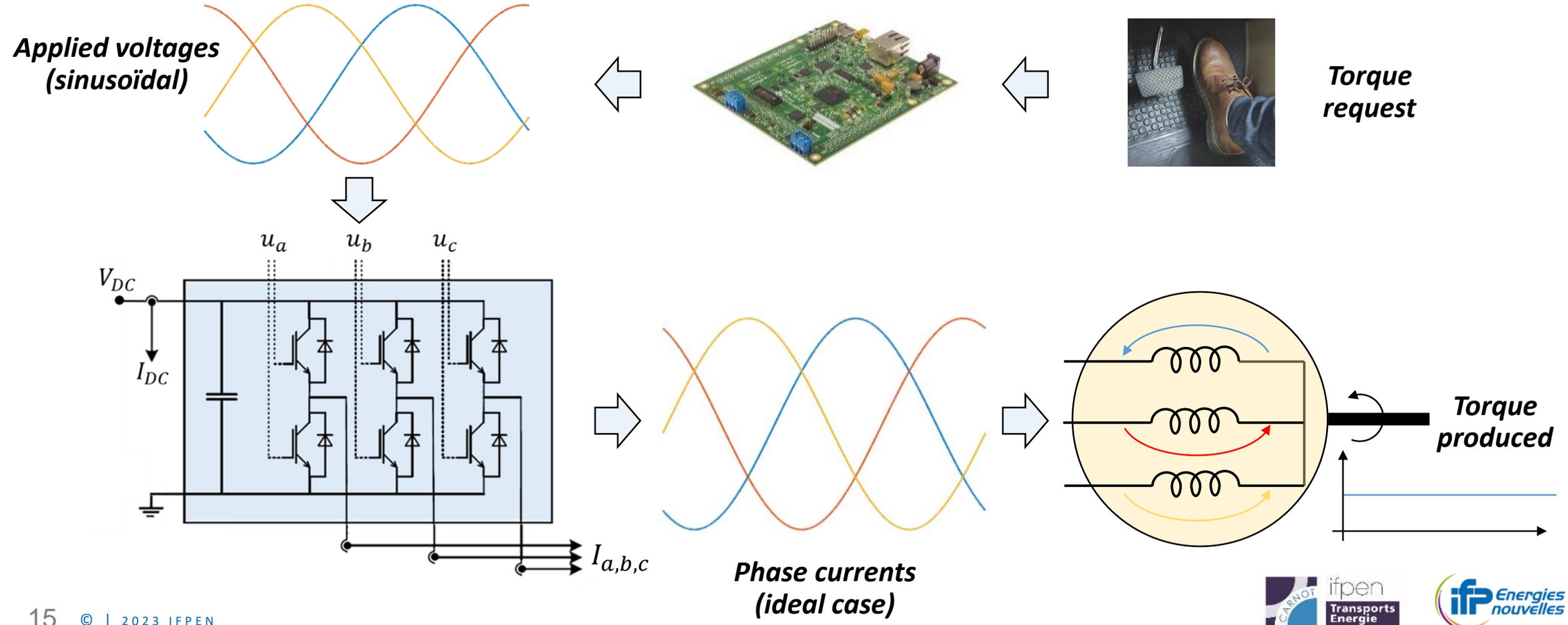


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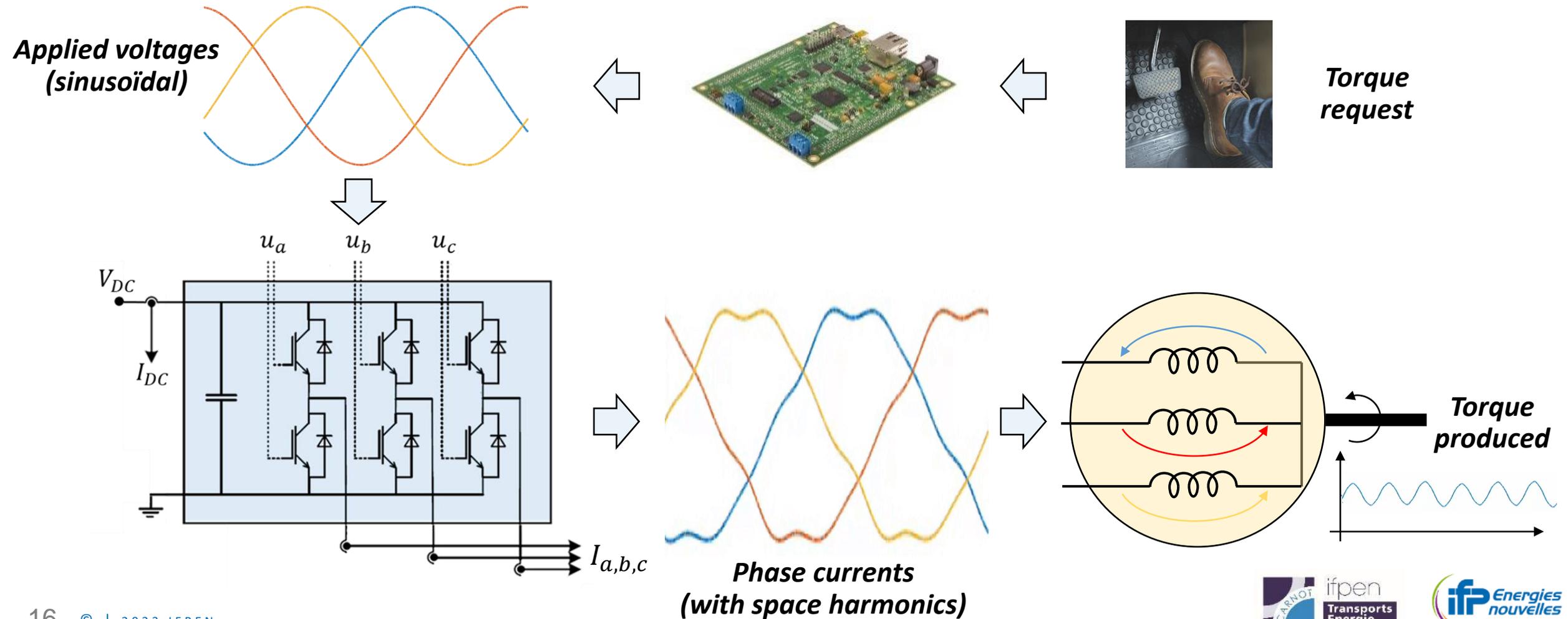
MOTIVATION – MOTOR CURRENTS & PWM

Motor currents shapes modeling: **ideal case**



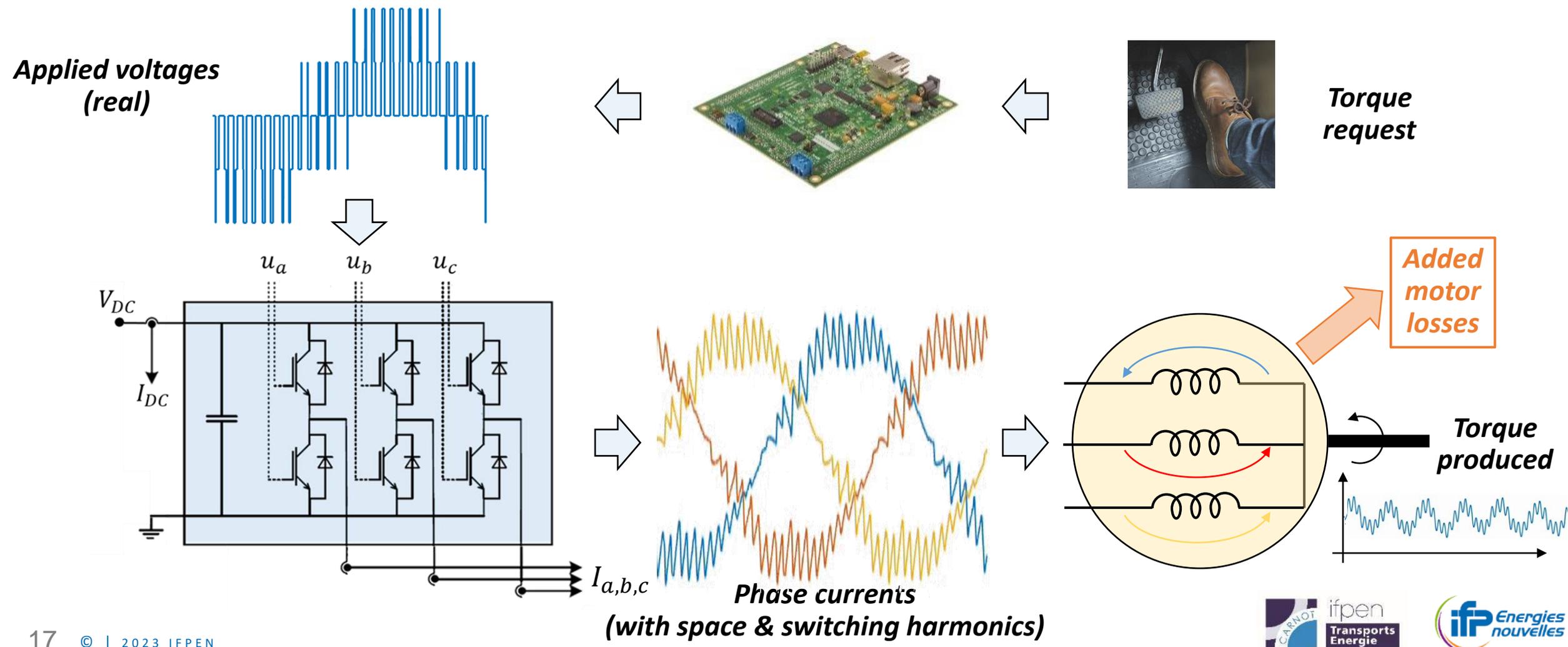
MOTIVATION – MOTOR CURRENTS & PWM

Motor currents shapes modeling: **with motor space harmonics**



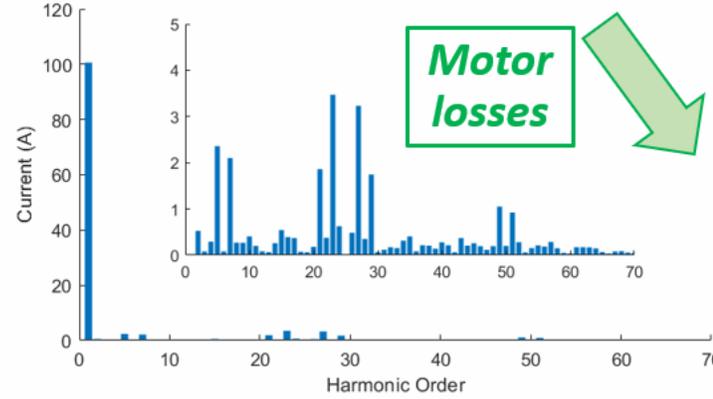
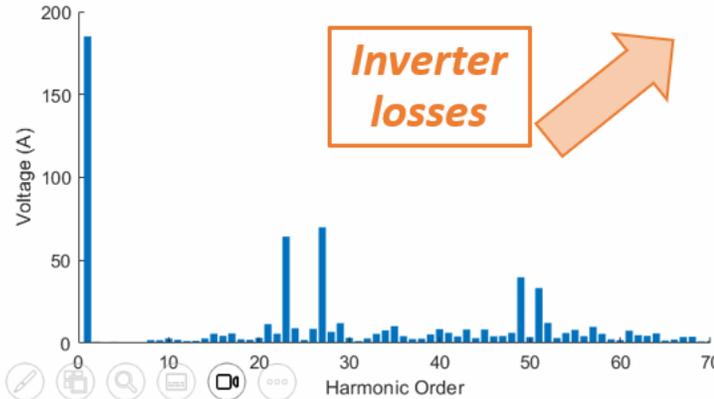
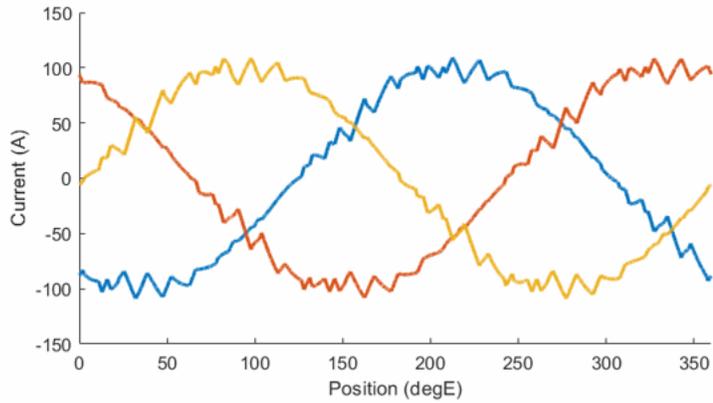
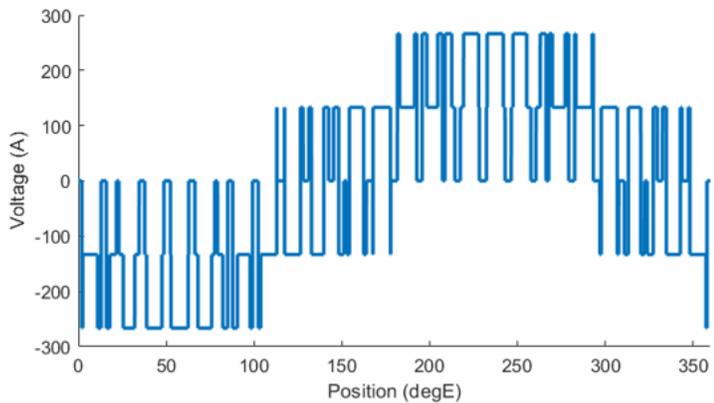
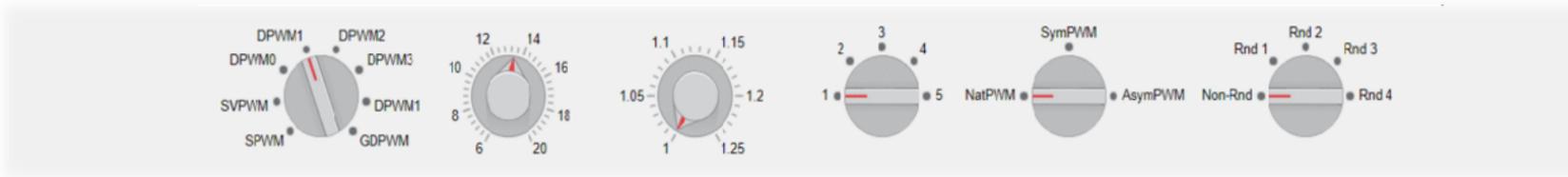
MOTIVATION – MOTOR CURRENTS & PWM

Motor currents shapes modeling: with space and switching harmonics



MOTIVATION – MOTOR CURRENTS & PWM

Motor currents shapes modeling: effect of PWM setup & frequency increase



PWM setup implies infinite possibilities

- Switching frequency (fixed, dynamical, random, etc.)
- Zero-sequence component (SVPWM, DPWM, THIPWM...)
- Overmodulation level, etc.

Compute motor losses is very time consuming

→ Run accurate simulations in a shorter time is a game changer here

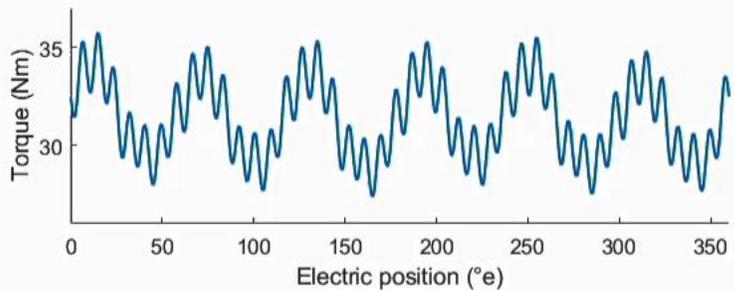
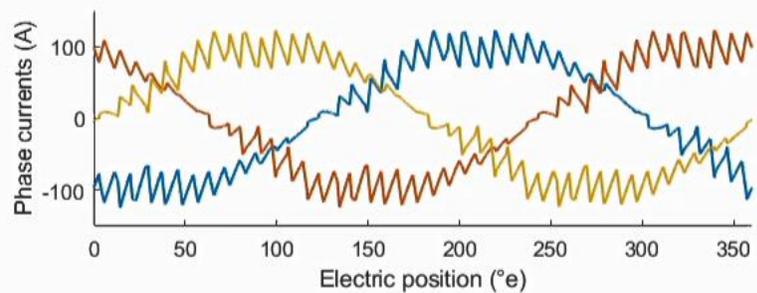
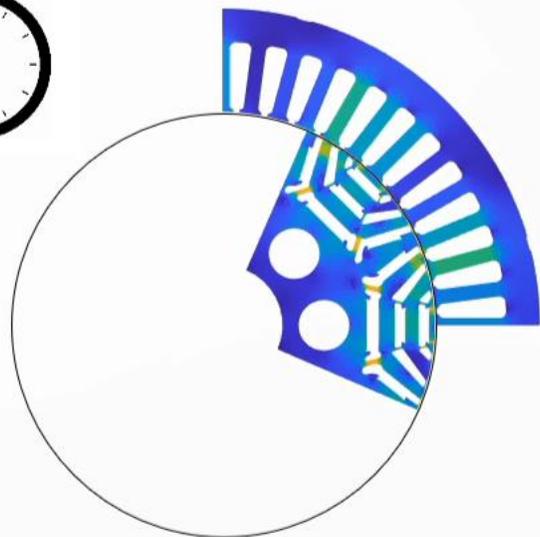
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Finite Elements



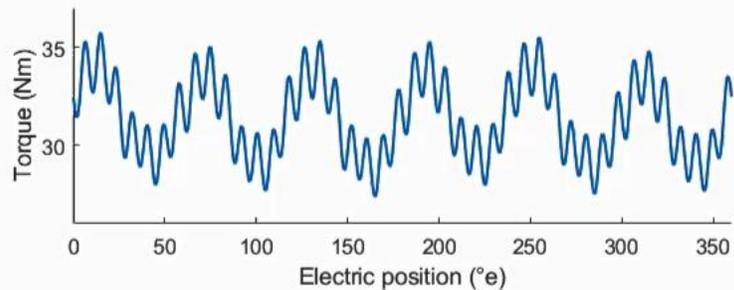
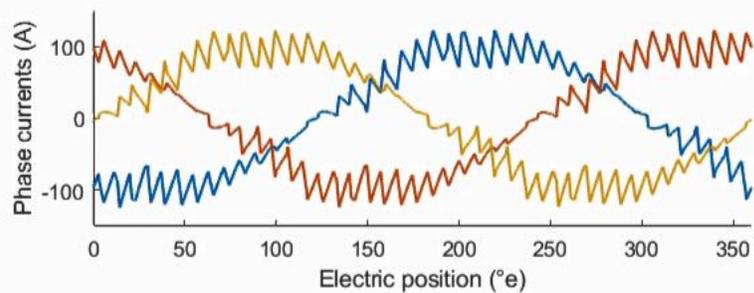
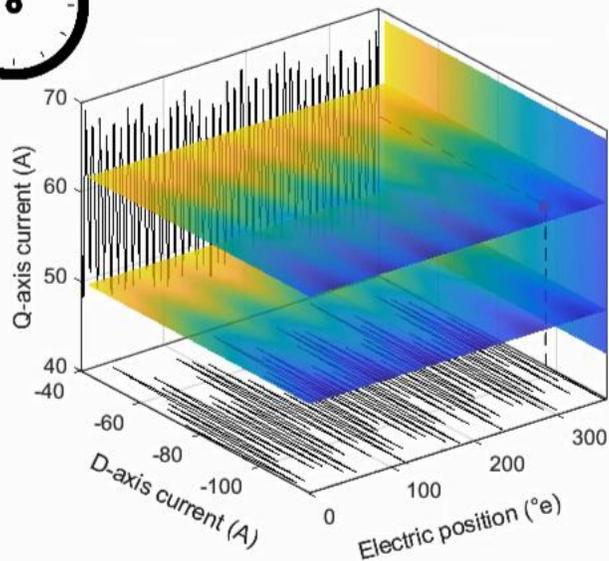
10 min



Time-based reduced model



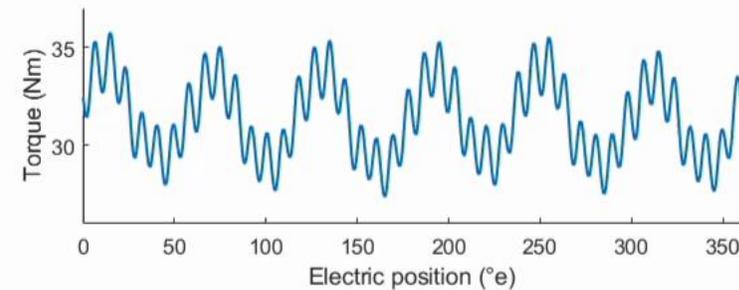
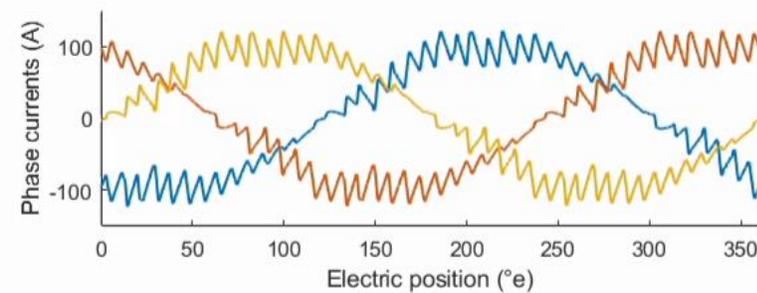
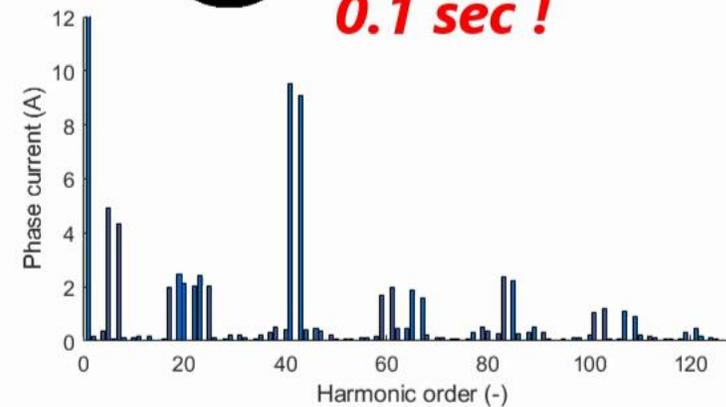
5 sec



Frequency-based reduced model



0.1 sec !



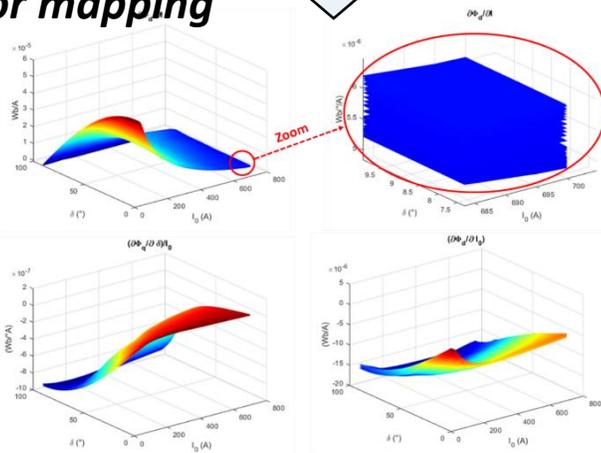
RESULTS – MOTOR CURRENTS COMPUTATION

Methodology: From finite elements to time & frequency based models

Finite elements computations



Motor mapping



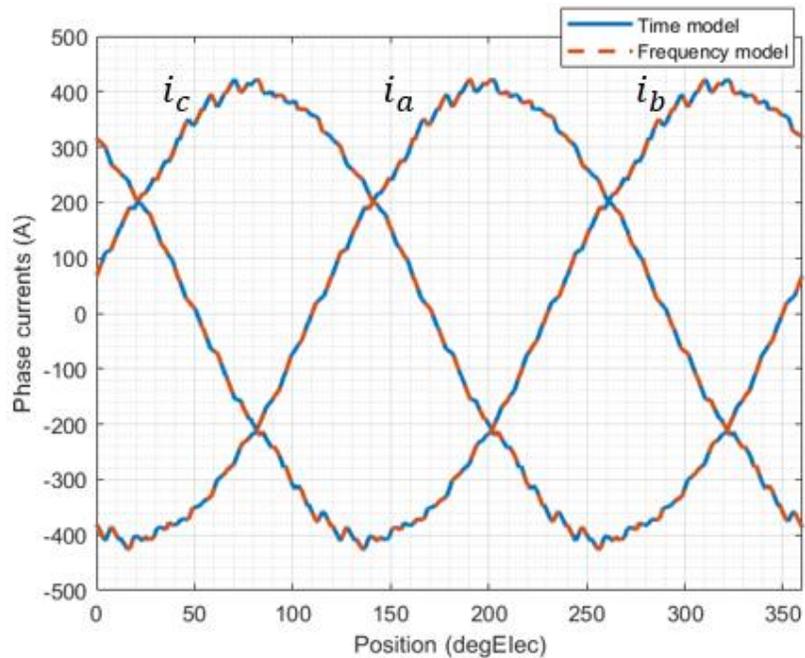
$$\begin{bmatrix} V_{dkc} \\ V_{dks} \\ V_{qkc} \\ V_{qks} \end{bmatrix} - \omega_e \begin{bmatrix} -\Phi_{qHkc} \\ -\Phi_{qHks} \\ \Phi_{dHkc} \\ \Phi_{dHks} \end{bmatrix} + k\omega_h \begin{bmatrix} -\Phi_{dHks} \\ \Phi_{dHkc} \\ -\Phi_{qHks} \\ \Phi_{qHkc} \end{bmatrix} \quad \text{Frequency equations} \\
 = \begin{bmatrix} R - \omega_e l_{qd} & -k\omega_h l_{dd} & -\omega_e l_{qq} & -k\omega_h l_{dq} \\ k\omega_h l_{dd} & R - \omega_e l_{qd} & k\omega_h l_{dq} & -\omega_e l_{qq} \\ \omega_e l_{dd} & -k\omega_h l_{qd} & R + \omega_e l_{dq} & -k\omega_h l_{qq} \\ k\omega_h l_{qd} & \omega_e l_{dd} & k\omega_h l_{qq} & R + \omega_e l_{dq} \end{bmatrix} \begin{bmatrix} I_{dkc} \\ I_{dks} \\ I_{qkc} \\ I_{qks} \end{bmatrix} \\
 \begin{bmatrix} v_d \\ v_q \end{bmatrix} = R \begin{bmatrix} i_d \\ i_q \end{bmatrix} + \begin{bmatrix} \frac{\partial \phi_d}{\partial i_d} & \frac{\partial \phi_d}{\partial i_q} \\ \frac{\partial \phi_q}{\partial i_d} & \frac{\partial \phi_q}{\partial i_q} \end{bmatrix} \frac{d}{dt} \begin{bmatrix} i_d \\ i_q \end{bmatrix} + \frac{d\theta_e}{dt} \begin{bmatrix} \frac{\partial \phi_d}{\partial \theta_e} - \phi_q \\ \frac{\partial \phi_q}{\partial \theta_e} + \phi_d \end{bmatrix} \quad \text{Time equations}$$

- Compared against magneto-dynamic simulation (Maxwell software)
- Compared against experimental data

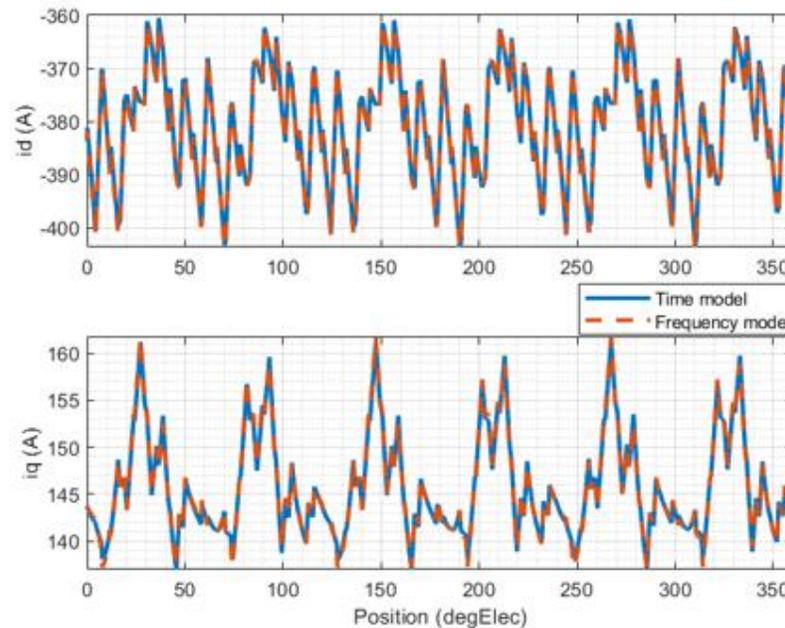
RESULTS – MOTOR CURRENTS COMPUTATION

Comparison: frequency-based model vs time-based model

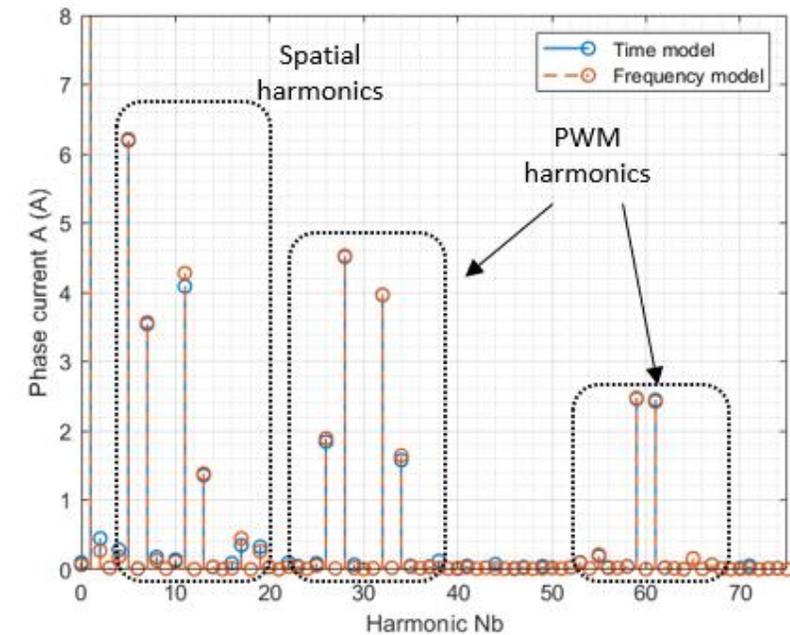
→ Results are identical. Frequency-based model is perfect for steady-state study



Phase currents



D-Q currents



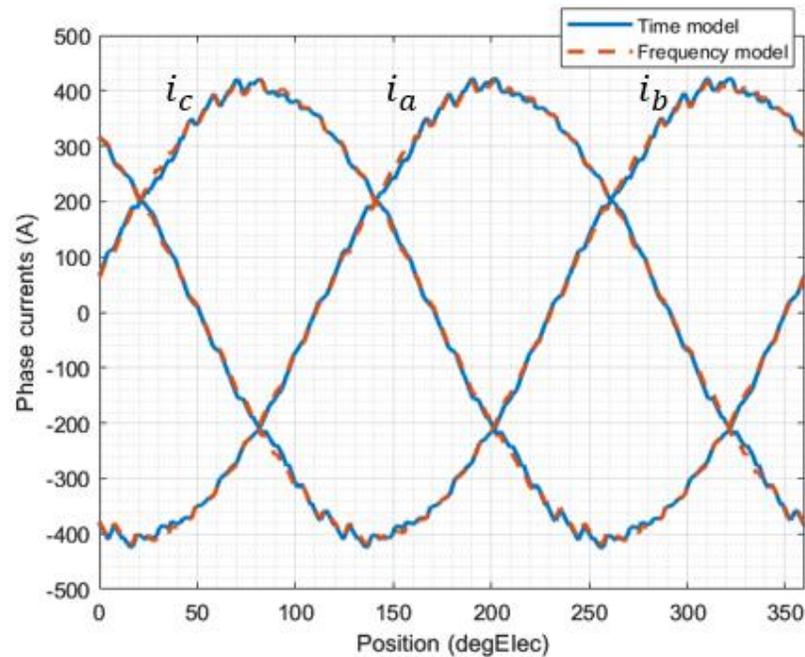
Fourier transform (I_a)

RESULTS – MOTOR CURRENTS COMPUTATION

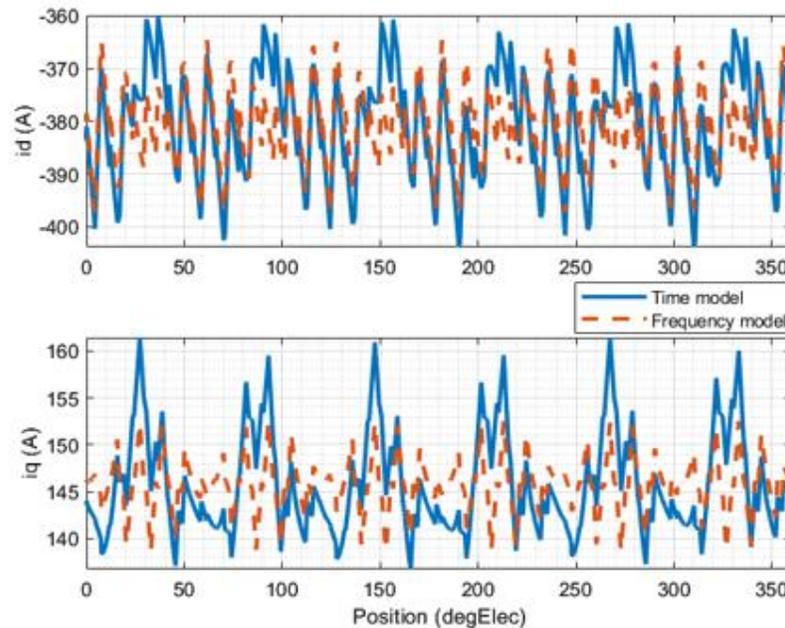
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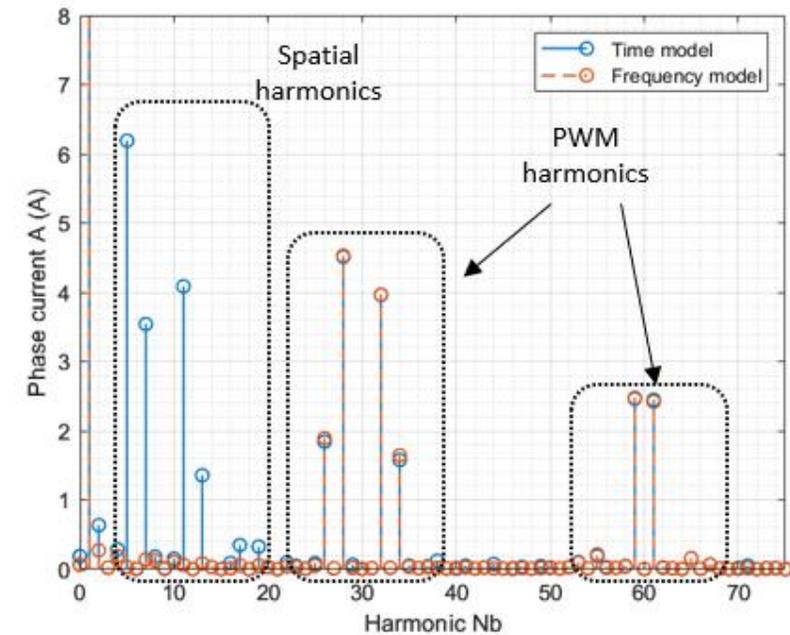
→ **Without space harmonics** included in the frequency-based model: a significant difference



Phase currents



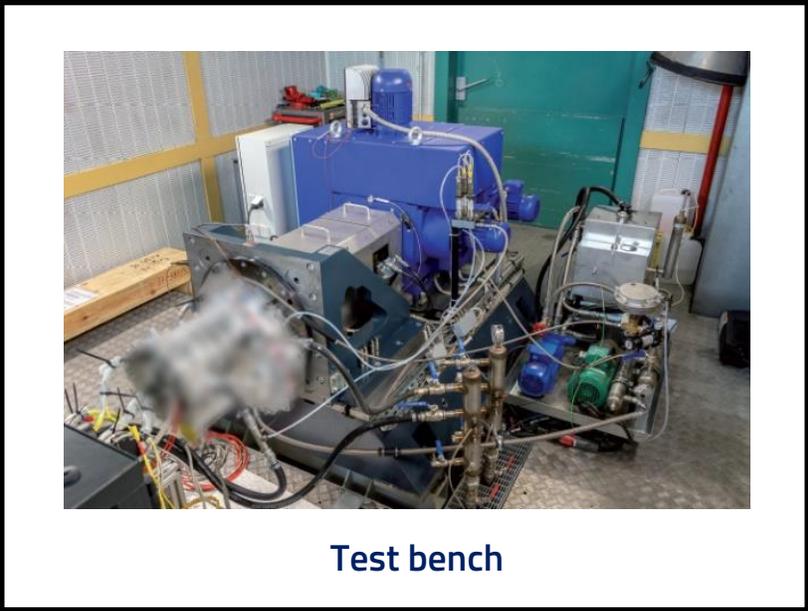
D-Q currents



Fourier transform (I_a)

RESULTS – MOTOR CURRENTS COMPUTATION

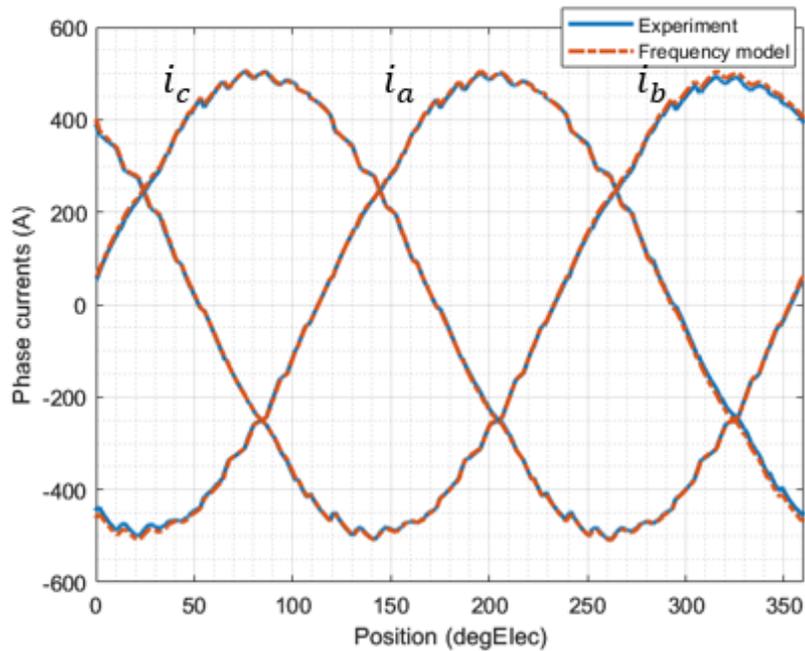
Methodology: **Experimental validation setup**



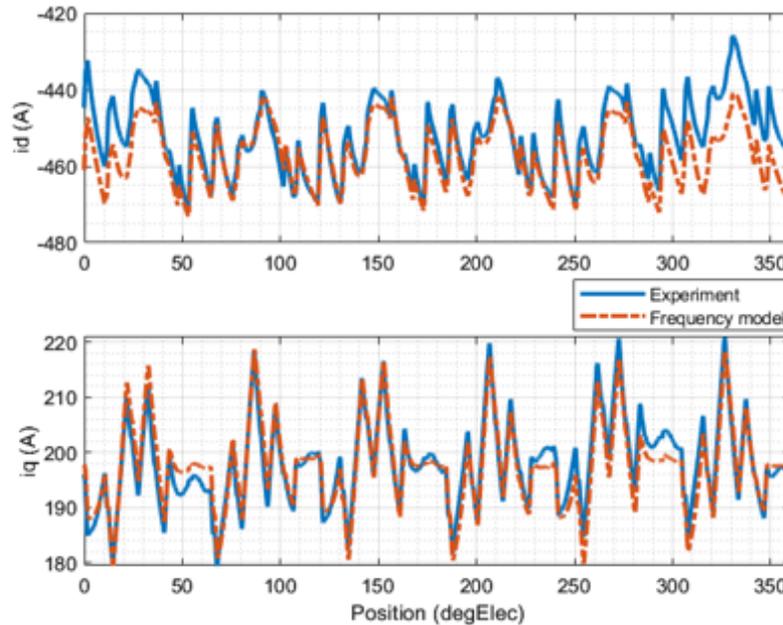
RESULTS – MOTOR CURRENTS COMPUTATION

Comparison: frequency-based model vs experiment

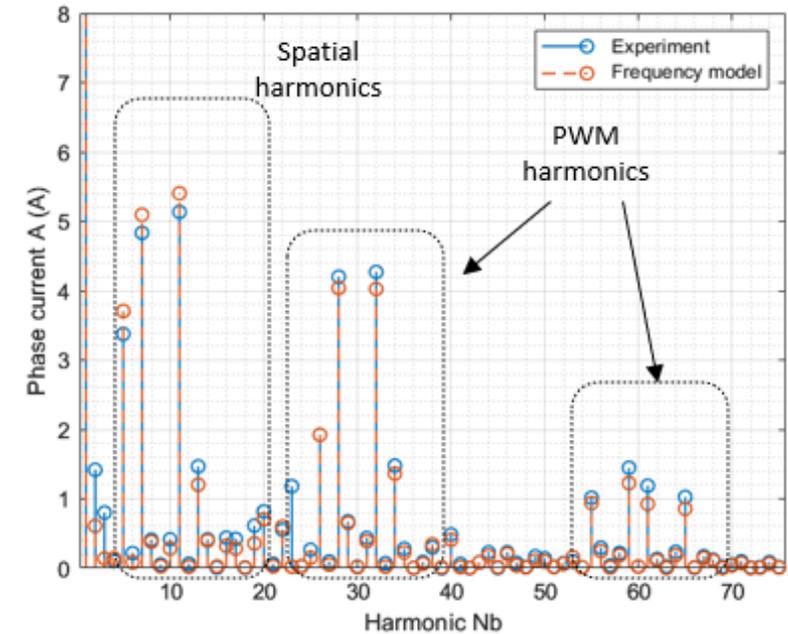
- Results are very accurate
- Slight discrepancies occur, mostly due to dynamic current control



Phase currents



D-Q currents

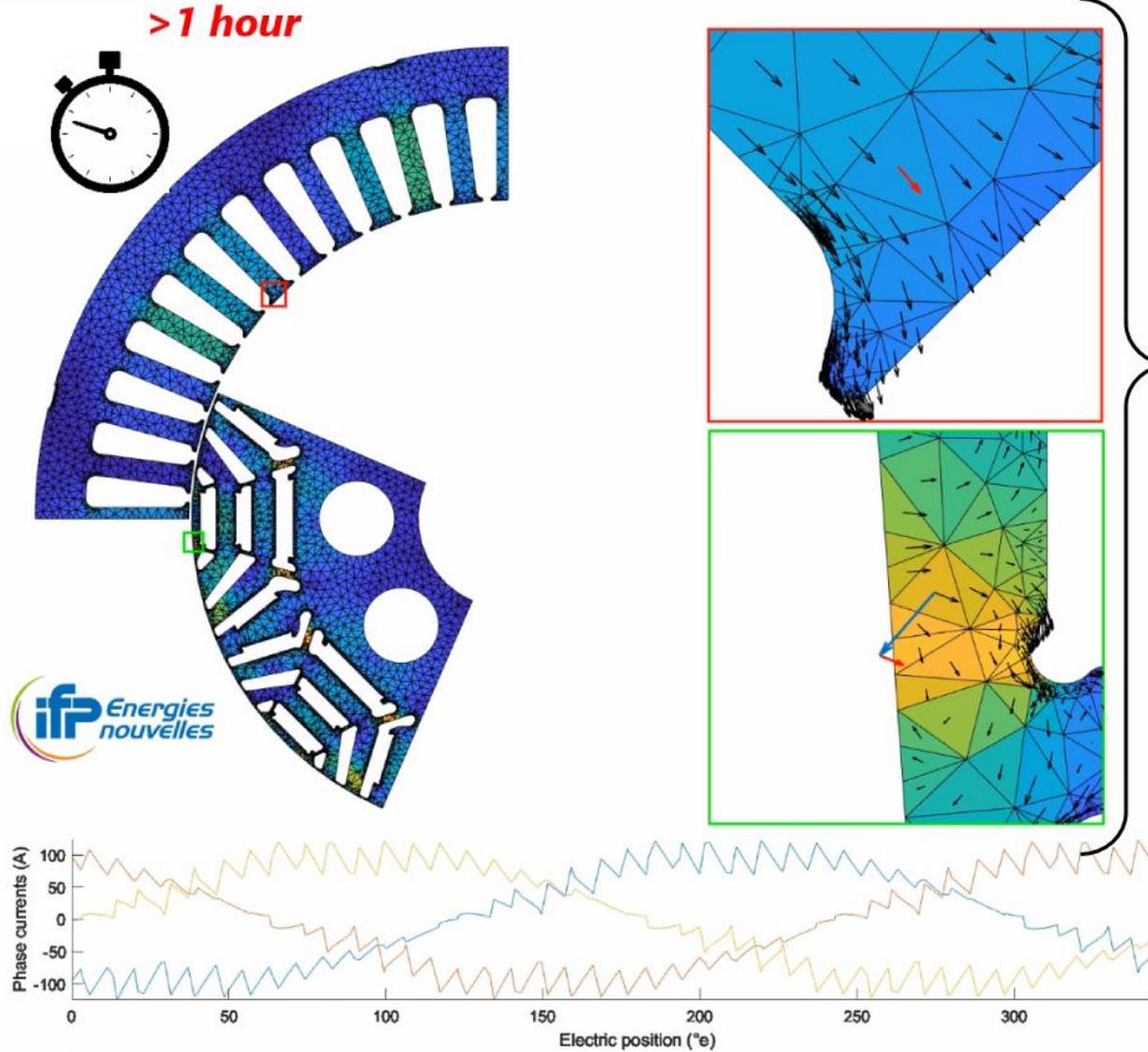


Fourier transform (I_a)

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RESULTS – MOTOR LOSSES COMPUTATION

Iron Losses - Finite Elements



Methodology: traditional losses computation

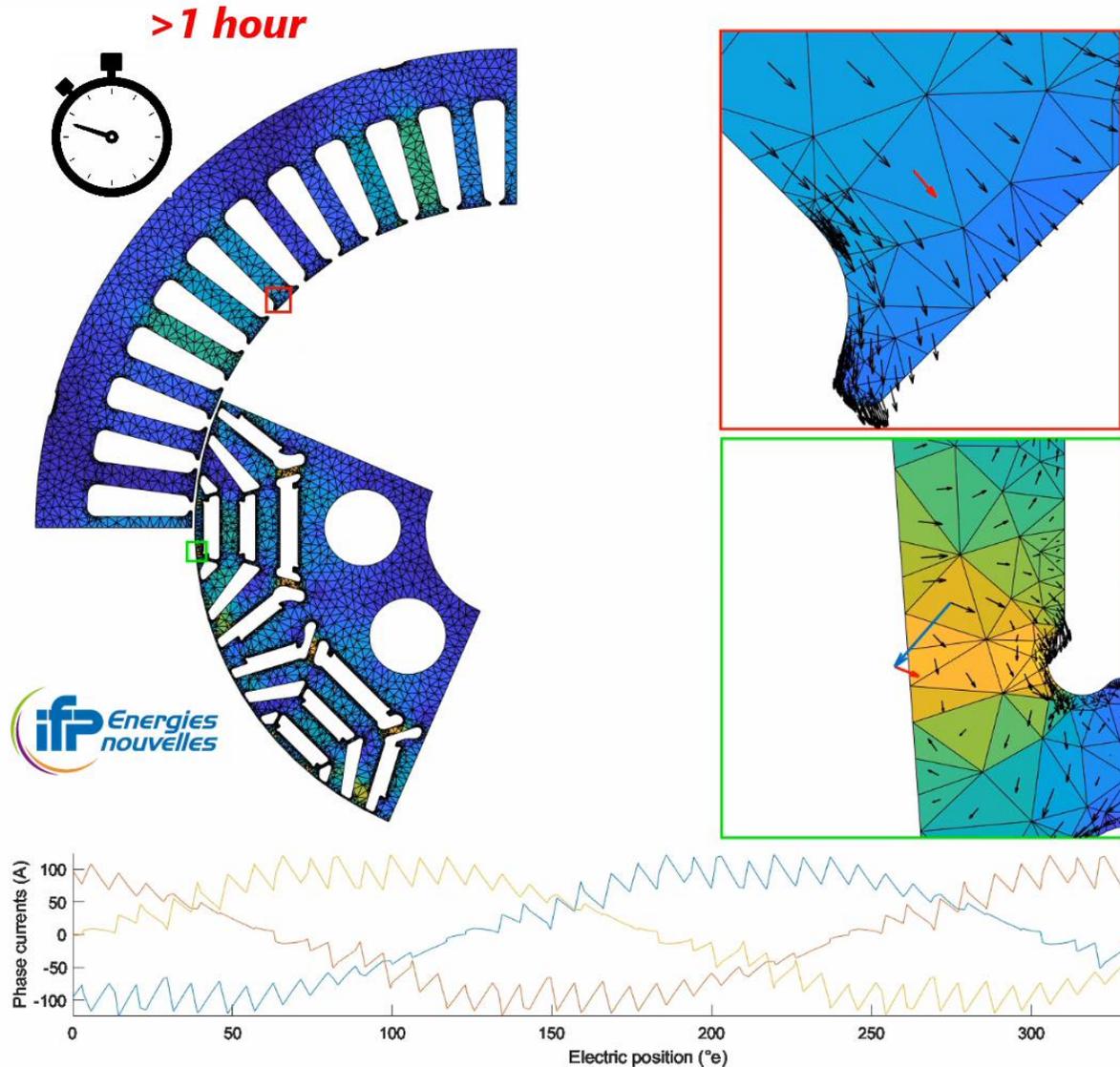
→ Fields are computed in each mesh

→ A losses formula is then applied, for example a modified frequential Bertotti:

$$P_{loss} = K_{hyst}(f)\widehat{B}^2 f + K_{eddy}(f)\widehat{B}^2 f^2 + K_{exc}(f)\widehat{B}^{1.5} f^{1.5}$$

RESULTS – MOTOR LOSSES COMPUTATION

Iron Losses - Finite Elements



Methodology: traditional losses computation

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$$P_{loss} = K_{hyst}(f)\widehat{B}^2 f + K_{eddy}(f)\widehat{B}^2 f^2 + K_{exc}(f)\widehat{B}^{1.5} f^{1.5}$$

Methodology: phase current frequencies model

- Identification of an equivalent resistance
- R_{eq} is a generic function of f_h :

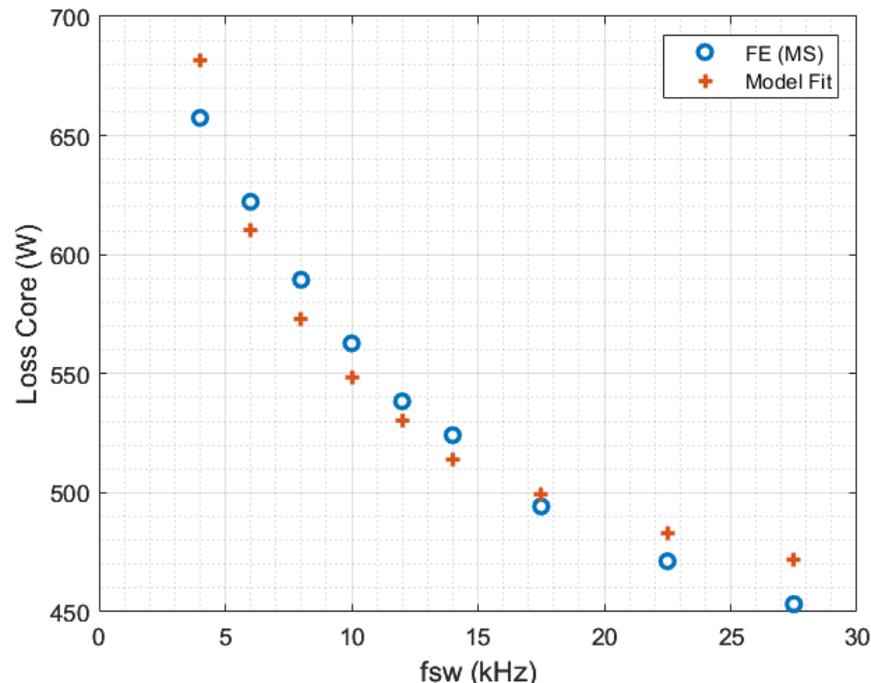
$$P_{loss} = \sum_{h=0}^{\infty} R_{eq}(f_h) I_h^2$$



RESULTS – MOTOR LOSSES COMPUTATION

Comparison: R_{eq} model vs FE model

- Results are obtained for a switching frequency sweep with SVPWM control
- Global trend is correctly identified. However, correlation is not as good for highest switching frequencies

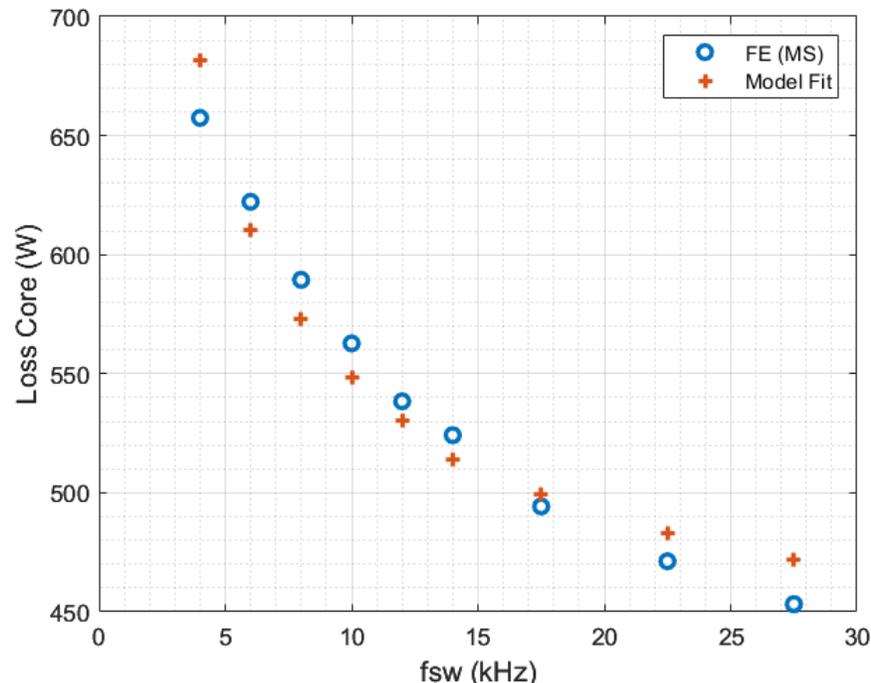


**Motor iron losses vs
switching frequency**

RESULTS – MOTOR LOSSES COMPUTATION

Comparison: R_{eq} model vs FE model

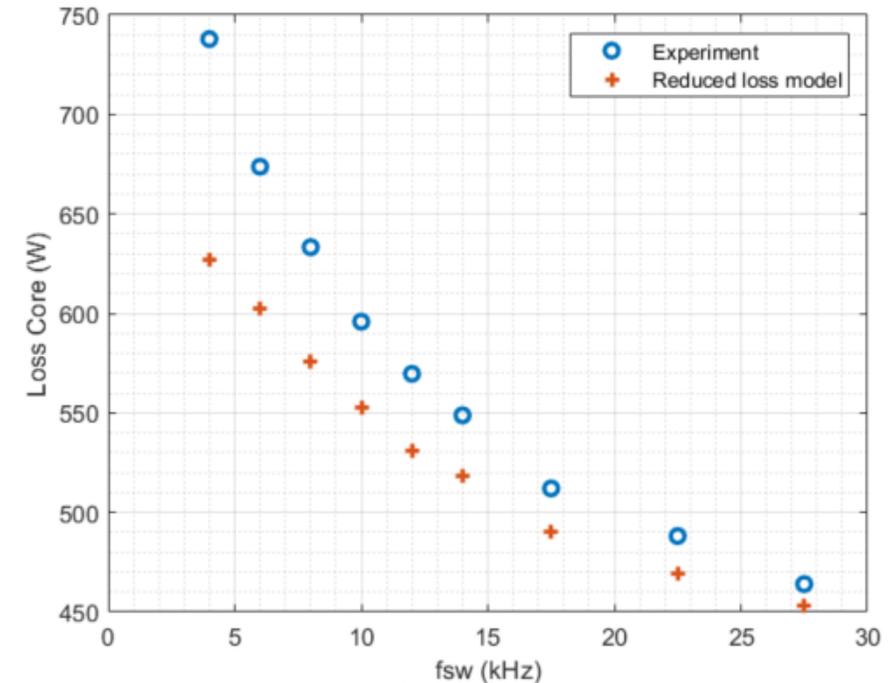
- Results are obtained for a switching frequency sweep with SVPWM control
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Motor iron losses vs switching frequency

Comparison: R_{eq} model vs experiment

- Significant differences were observed but are of 100W maximum
- Global trend is only roughly identified. This is the consequence of the source FE model

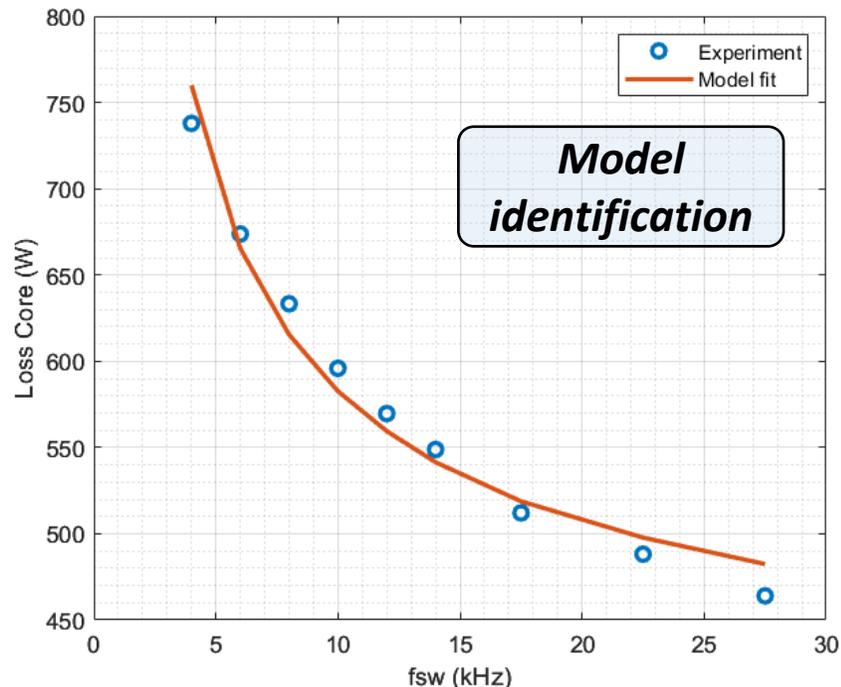


Motor iron losses vs switching frequency

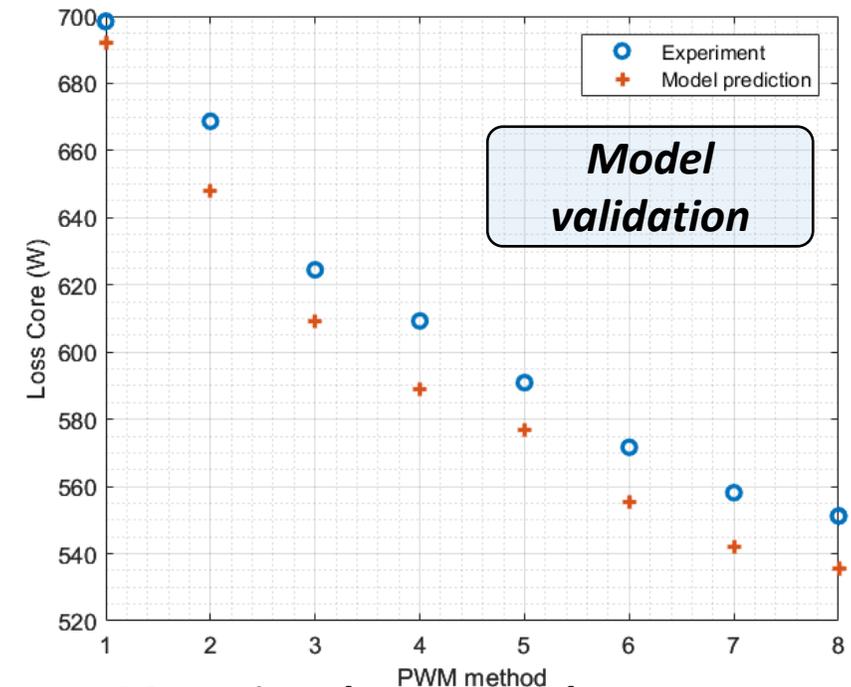
RESULTS – MOTOR LOSSES COMPUTATION

Comparison: Recalibrated R_{eq} model vs experiment

- The simplicity of the reduced model was leveraged to **directly identify the model from experimental** frequency sweep with SVPWM
- Global trend is again correctly identified.
- Model was then validated using results obtained with other types of modulations



Motor iron losses vs switching frequency



Motor iron losses vs other PWM modulations

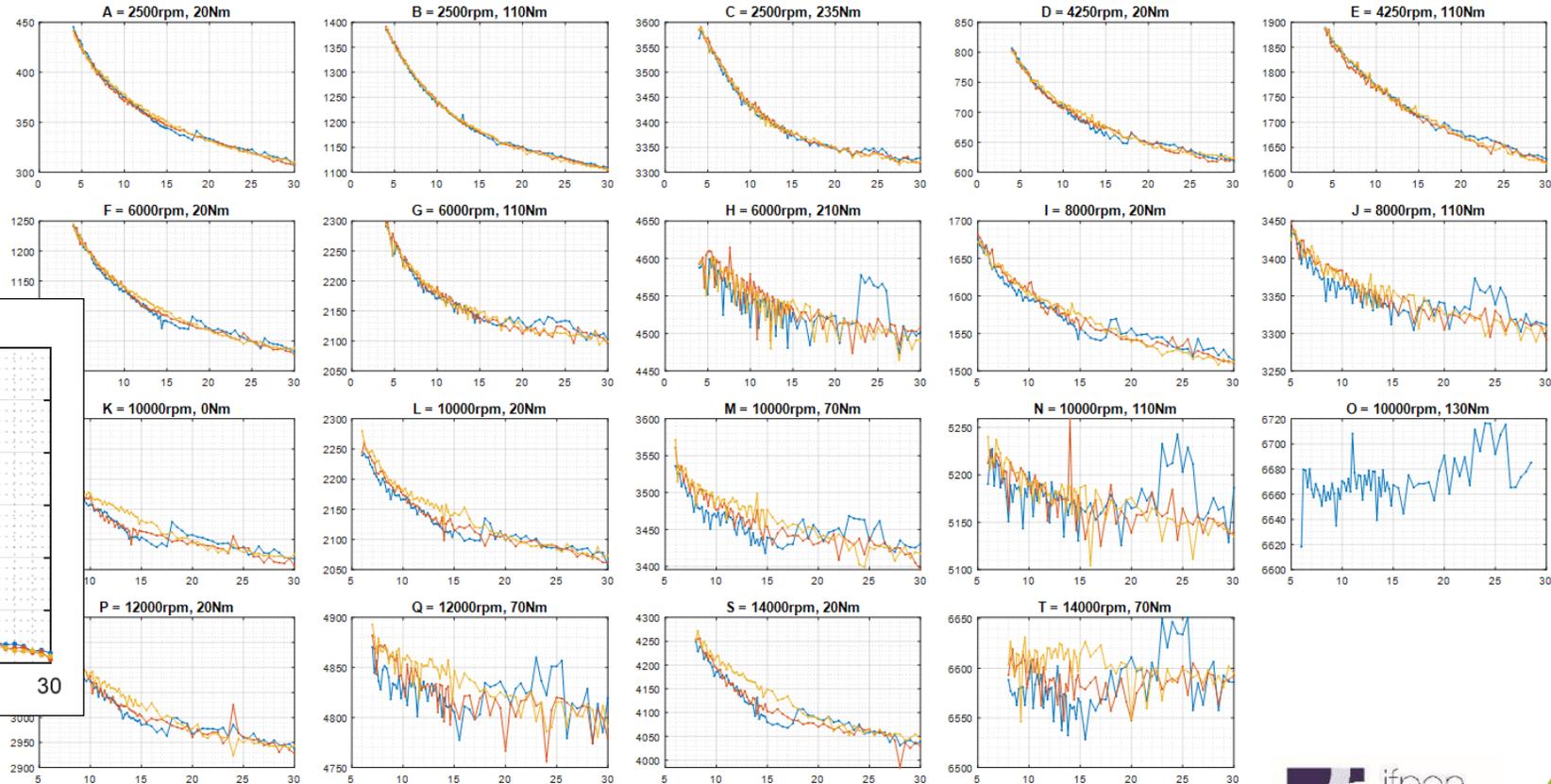
RESULTS – MOTOR LOSSES COMPUTATION

Comparison: Recalibrated R_{eq} model vs experiment

→ The simplicity of the reduced model was leveraged to **directly identify the model from experimental** frequency sweep with SVPWM

→ Done on several operating points

Model identification



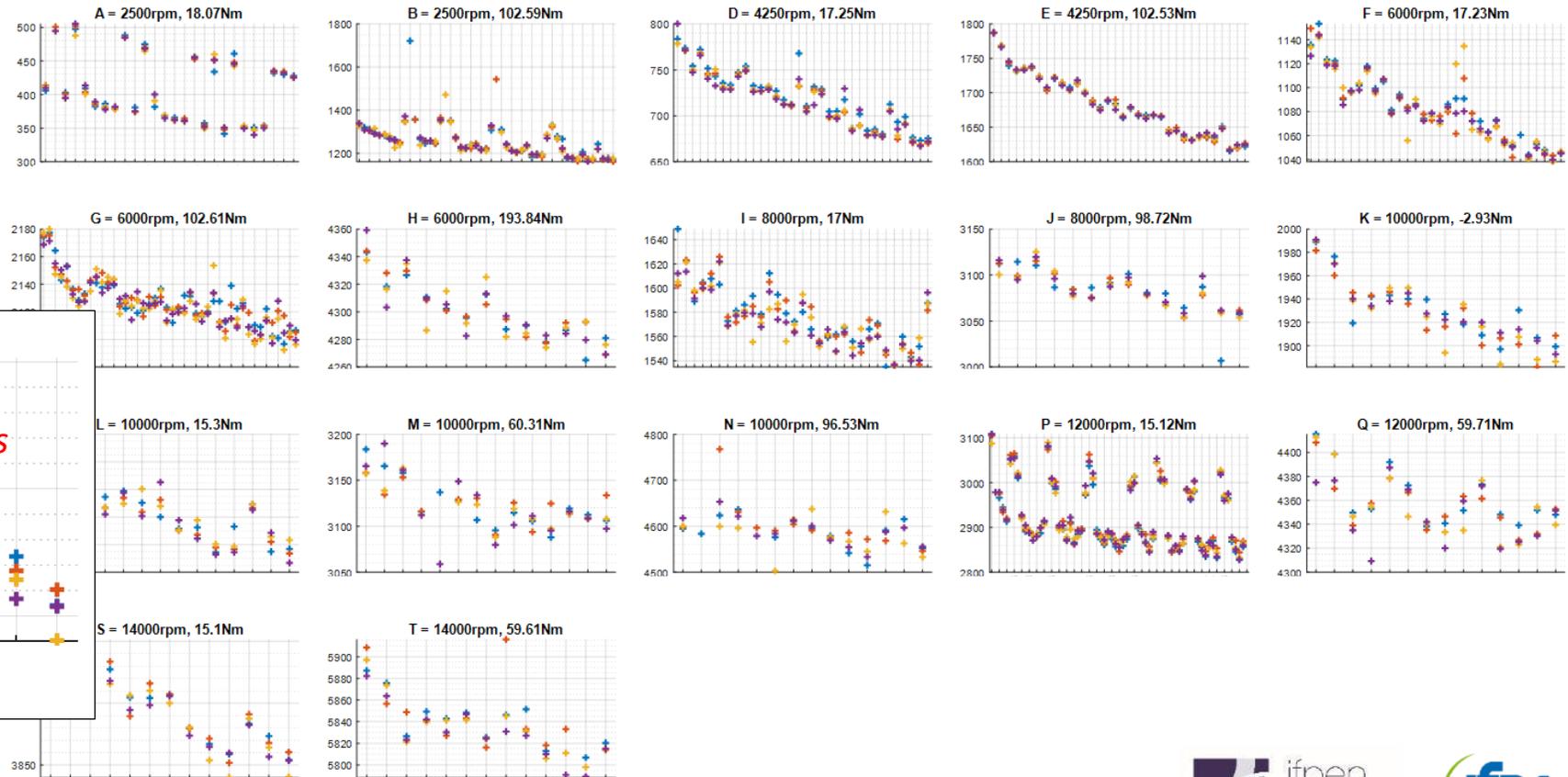
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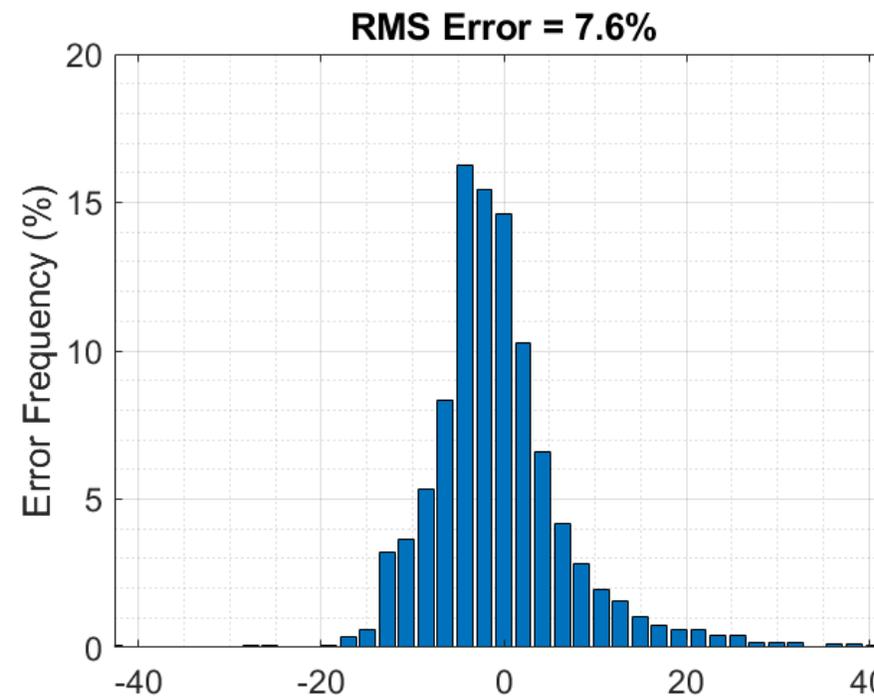
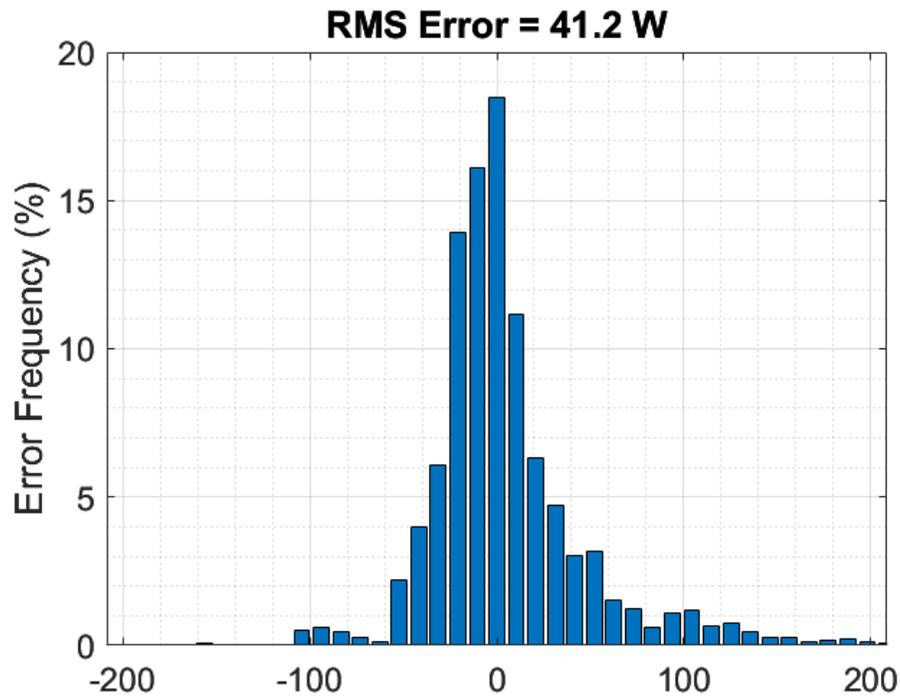
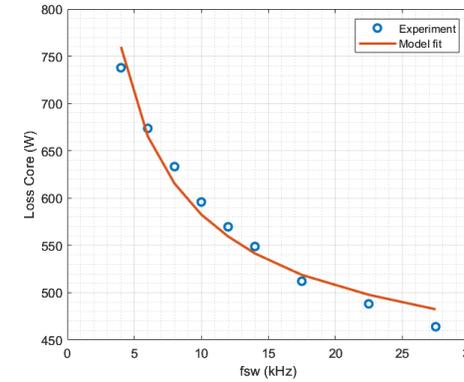
Model validation



RESULTS – MOTOR LOSSES COMPUTATION

Comparison: **Recalibrated R_{eq} model vs experiment**

- Under 8% of relative mean error
- Under 50W of absolute mean error



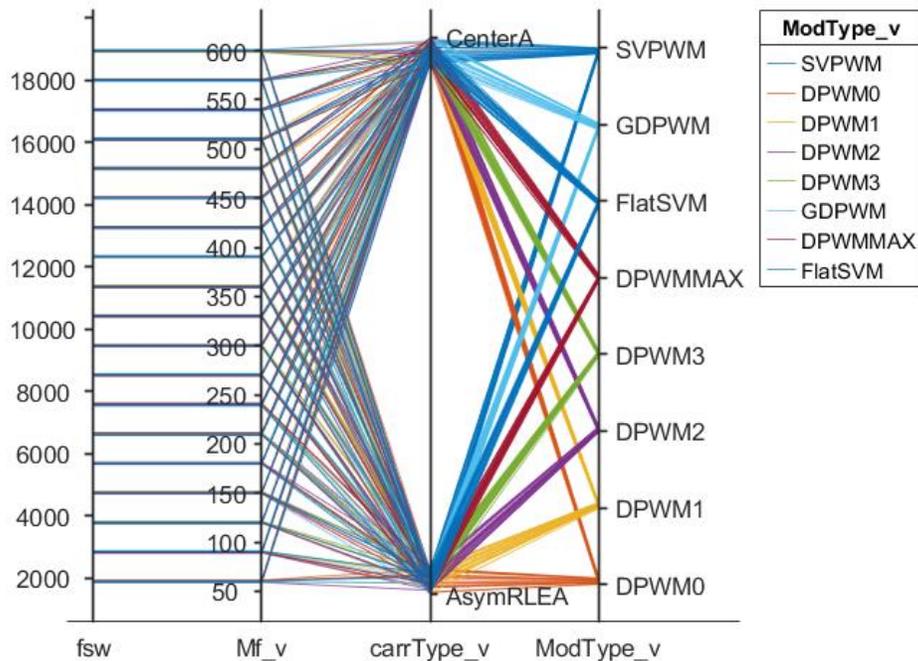
Motor losses model performance

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MOTIVATION – PWM OPTIMIZATION

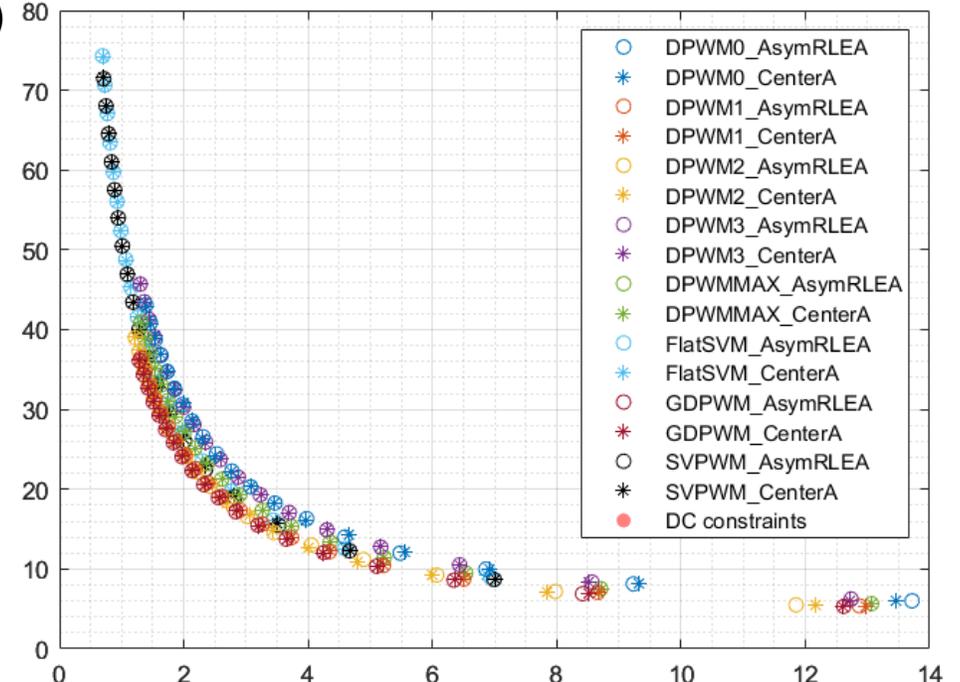
Optimization process

- We now will use our fast computing model to evaluate a great number of PWM configuration efficiently (~50000 schemes/hour)
- Data analysis can provide insight, but the development of adaptable KPI for automatic choice is key



PWM schemes evaluated

Inverter total losses (W)

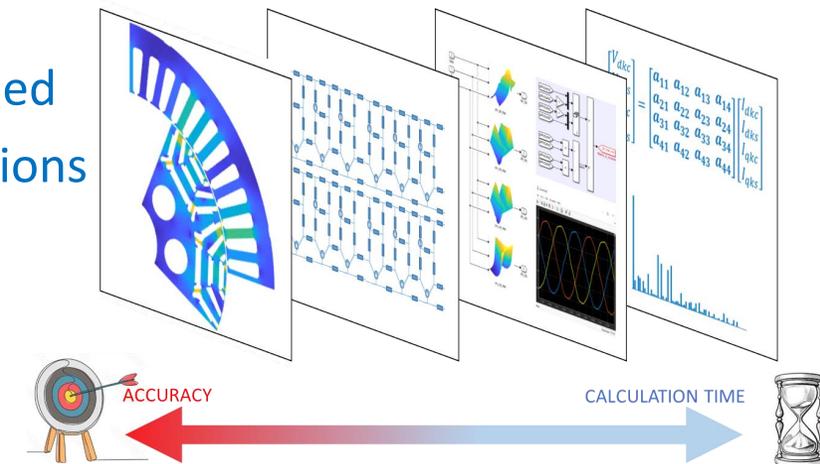


Results

eMachine harmonic losses (W)

CONCLUSION

- Model reduction is a key approach for improving hardware and software solutions
 - For example, setting up PWM control offers endless choices
 - Everything cannot be evaluated on a test bench
 - Simulation computations are often too time-consuming or too inaccurate
- IFPEN implemented a method for improved simulation accuracy and speed
 - Combining results from finite elements simulations and analytical equations into **frequency-based models**, currents, flux, including space harmonics, as well as motor losses can be **computed x1000 times faster**
 - The reduced model can also be used to improve the FE model regarding losses computation
 - Simulation can now be used to optimize motor controls



Acknowledgment : this project was financed by the French government within the framework of the Investments for the Future Program

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